

# Intro and First Day Stuff

## Lecture 1 - CMSE 382

Prof. Elizabeth Munch

Michigan State University

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Dept of Computational Mathematics, Science & Engineering

Mon, Jan 12, 2026

# Groups - Round 1

## Group 1

Jonid M.  
Sanskaar M.  
Andrew B.  
Zheng Y.

## Group 2

Abigail P.  
Braedon P.  
Vinod R.  
Aidan S.

## Group 3

Luis C.  
Tianjian X.  
Lowell M.  
Arjun R.

## Group 4

Jay B.  
Maye B.  
Jamie L.  
Kyle S.

## Group 5

Aaron N.  
Purvi G.  
Morgan F.  
Breena K.

## Group 6

Brandon G.  
Dominic V.  
K M Tausif S.  
Anthony K.

## Group 7

Monirul Amin M.  
Daniel E.  
Quang Minh D.  
Ha N.

## Group 8

Lora S.  
Jack C.  
Noah M.  
Michal T.

## Group 9

Atticus B.  
Shanze O.  
Joseph M.  
Arya S.

## Group 10

Scott W.  
Karen S.  
Dev Jyoti Ghosh A.  
Dori C.

## Group 11

Saitej B.  
Jake R.  
Alice S.  
Long N.

## Group 12

Lauryn C.  
Sai P.  
Yousif E.

# People in this lecture

**Dr. Munch** (she/her)  
Depts of CMSE and Math

**Omeiza Olumoye**  
Graduate Student, CMSE, MSU

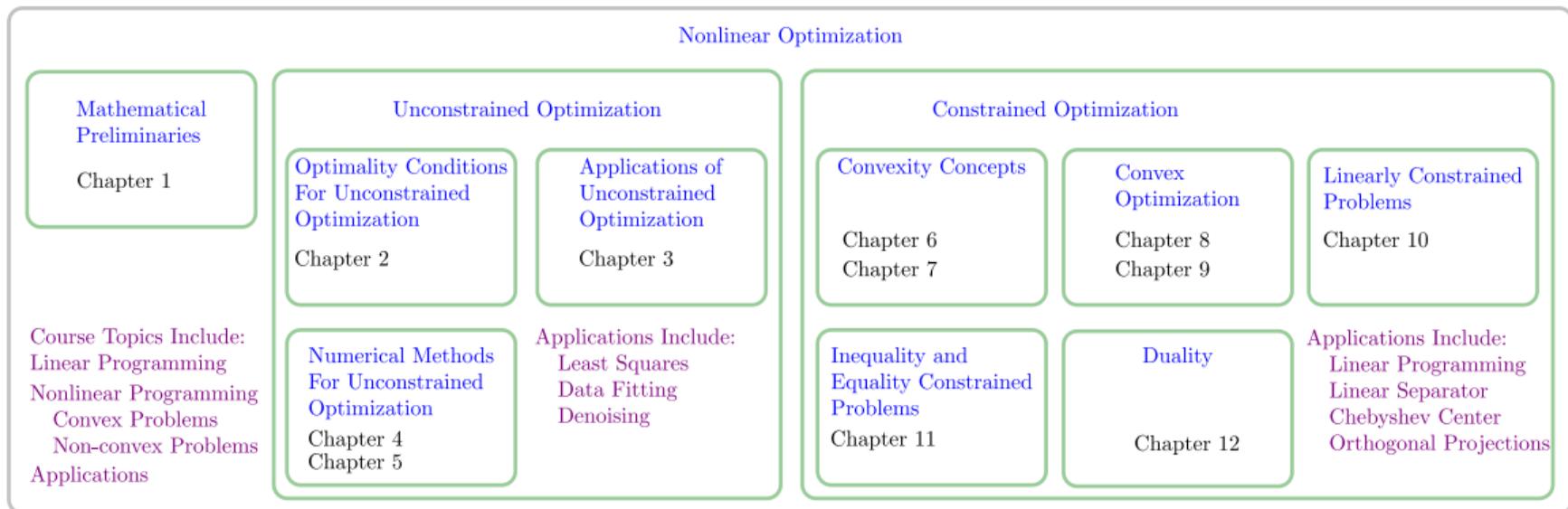
# What is this course about?

Machine Learning Pipeline

Finding the Optimum

There will be calculus! And matrices!

# Course Outline



# Course Website and where to find slides and jupyter notebooks

<https://elizabethmunch.com/CMSE382>

–or–

<https://msu-cmse-courses.github.io/cmse382-spring2026/>

Note the syllabus link above!

# D2L and where to find grades

<https://d2l.msu.edu/d2l/home/2387926>

# Crowdmark and where to submit assignments

No URL: You should already have an automated email from the system. If not, talk to me once we're doing group work.

Zoom link and schedule:

<https://msu-cmse-courses.github.io/cmse382-spring2026/help/#office-hours>

*Dr. Munch*

Time TBD (Starting next week)

Zoom & EGR 1511

*Omeiza Olumoye*

Time TBD

Zoom & EGR (Room TBD)

*Introduction to Nonlinear Optimization* by Amir Beck.

**Free download from MSU Library Website.** More info:

<https://msu-cmse-courses.github.io/cmse382-spring2026/textbook/>

# Class Structure

- Most classes have videos to watch before class. These will be posted on the course website and D2L.
- Class is a brief review of the video content, and group work/coding time. In-class worksheets will be graded on completion.
  - ▶ Bring computer every day
  - ▶ Jupyter notebooks
  - ▶ Python
  - ▶ In-class worksheets graded on completion. No credit unless present in class. 5 drops.
- Approximately every two weeks there is a 15 minute quiz at the end of class.
  - ▶ Drop one lowest grade
  - ▶ Can bring a cheat sheet

# Class Structure Pt 2

- Homeworks due approximately every 2 weeks.
  - ▶ Drop two lowest grades
  - ▶ Sliding scale:
    - ★ 24 hours late: 5% penalty.
    - ★ 48 hours late: 10% penalty.
    - ★ >48 hours: No late work accepted.
- Three Midterms
  - ▶ See schedule for dates
  - ▶ Not cumulative
- One Project
  - ▶ Analyze dataset using tools in class, submit written report
  - ▶ 100 points
  - ▶ Due at the end of the semester

# Collaboration and Generative AI Policy

- You may use generative AI tools (e.g., ChatGPT, Bard, DALL-E) for brainstorming, drafting, and coding assistance on homework assignments.
- You must clearly indicate any use of generative AI tools in your submissions, specifying the tool used and the nature of its contribution.
- You may discuss homework problems with classmates, but all submitted work must be your own.
- No collaboration or use of generative AI tools is allowed on quizzes and exams.

# Approximate schedule

[msu-cmse-courses.github.io/cmse382-spring2026/schedule/](https://msu-cmse-courses.github.io/cmse382-spring2026/schedule/)

# Grade distribution

	<i>Number</i>	<i>Number drops</i>	<i>Percentages</i>
Homeworks	6	2	40%
In-class worksheets	~ 30	5	10%
Quizzes	6	1	10%
Midterm	3	0	40%

# Section 1

## Math Preliminaries - Part 1

# Today's content

- The space  $\mathbb{R}^n$
- Inner products
- Vector norms
- Cauchy Schwarz inequality

# The space $\mathbb{R}^n$

## Definition

The space  $\mathbb{R}^n$  is the set of  $n$ -dimensional column vectors with real components.

- Addition:

$$\begin{pmatrix} x_1 \\ x_2 \\ \vdots \\ x_n \end{pmatrix} + \begin{pmatrix} y_1 \\ y_2 \\ \vdots \\ y_n \end{pmatrix} = \begin{pmatrix} x_1 + y_1 \\ x_2 + y_2 \\ \vdots \\ x_n + y_n \end{pmatrix}$$

- Scalar multiplication:

$$\lambda \cdot \begin{pmatrix} x_1 \\ x_2 \\ \vdots \\ x_n \end{pmatrix} = \begin{pmatrix} \lambda x_1 \\ \lambda x_2 \\ \vdots \\ \lambda x_n \end{pmatrix}$$

# Standard basis

## Definition

The standard basis vectors in  $\mathbb{R}^n$  are the vectors

$$e_1 = \begin{pmatrix} 1 \\ 0 \\ \vdots \\ 0 \end{pmatrix}, \quad e_2 = \begin{pmatrix} 0 \\ 1 \\ \vdots \\ 0 \end{pmatrix}, \quad \dots, \quad e_n = \begin{pmatrix} 0 \\ 0 \\ \vdots \\ 1 \end{pmatrix}.$$

# The space $\mathbb{R}^{m \times n}$

## Definition

The space  $\mathbb{R}^{m \times n}$  is the set of  $m$  by  $n$  matrices with real components.

### Special matrices:

- Identity matrix:  $I_n$
- Zeros matrix:  $0_{m \times n}$

# Inner Product

## Definition

An inner product on  $\mathbb{R}^n$  is a function  $\langle \cdot, \cdot \rangle : \mathbb{R}^n \times \mathbb{R}^n \rightarrow \mathbb{R}$  that satisfies the following properties for all  $x, y, z \in \mathbb{R}^n$  and  $\alpha \in \mathbb{R}$ :

- **Symmetry:**  $\langle x, y \rangle = \langle y, x \rangle$
- **Additivity:**  $\langle x, y + z \rangle = \langle x, y \rangle + \langle x, z \rangle$
- **Homogeneity:**  $\langle x, \lambda y \rangle = \lambda \langle x, y \rangle$
- **Positive-definiteness:**  $\langle x, x \rangle \geq 0$  with equality if and only if  $x = 0$ .

**Example:** dot product

$$\langle x, y \rangle = x^T y = \sum_{i=1}^n x_i y_i.$$

## Definition

A norm on  $\mathbb{R}^n$  is a function  $\|\cdot\| : \mathbb{R}^n \rightarrow \mathbb{R}$  that satisfies the following properties for all  $x, y \in \mathbb{R}^n$  and  $\lambda \in \mathbb{R}$ :

- **Nonnegativity:**  $\|x\| \geq 0$  with equality if and only if  $x = 0$
- **Positive homogeneity:**  $\|\lambda x\| = |\lambda| \|x\|$
- **Triangle inequality:**  $\|x + y\| \leq \|x\| + \|y\|$

**Example:**  $\ell_p$  norm for  $p \geq 1$ :

$$\|x\|_p = \left( \sum_{i=1}^n |x_i|^p \right)^{1/p}.$$

# Norms from inner products

Given an inner product  $\langle \cdot, \cdot \rangle$  on  $\mathbb{R}^n$ , we can define a norm by

$$\|x\| = \sqrt{\langle x, x \rangle}.$$

## Example:

Given the dot product, we have the Euclidean norm, also called the  $\ell_2$  norm:

$$\|x\|_2 = \sqrt{x^T x} = \sqrt{\sum_{i=1}^n x_i^2}.$$

# Cauchy-Schwarz Inequality

## Lemma (Cauchy-Schwarz Inequality)

For any  $x, y \in \mathbb{R}^n$ ,

$$|x^T \cdot y| \leq \|x\|_2 \cdot \|y\|_2.$$

*Written another way and for more general inner products,*

$$|\langle x, y \rangle| \leq \|x\| \cdot \|y\|.$$

**Example:**

$$x = \begin{pmatrix} -3 \\ 4 \\ 0 \end{pmatrix}, \quad y = \begin{pmatrix} 0 \\ -5 \\ 12 \end{pmatrix}$$

# Group Work Time

- Introduce yourself to your group members
- Find and download the worksheet from the course website.
- In the last 10 minutes of class, you will upload your completed worksheet to D2L. Note: graded on completion only.

## Next time

- Watch videos posted on the course webpage
- Check syllabus dates - Especially exam, homework, and quiz dates
- Office hours